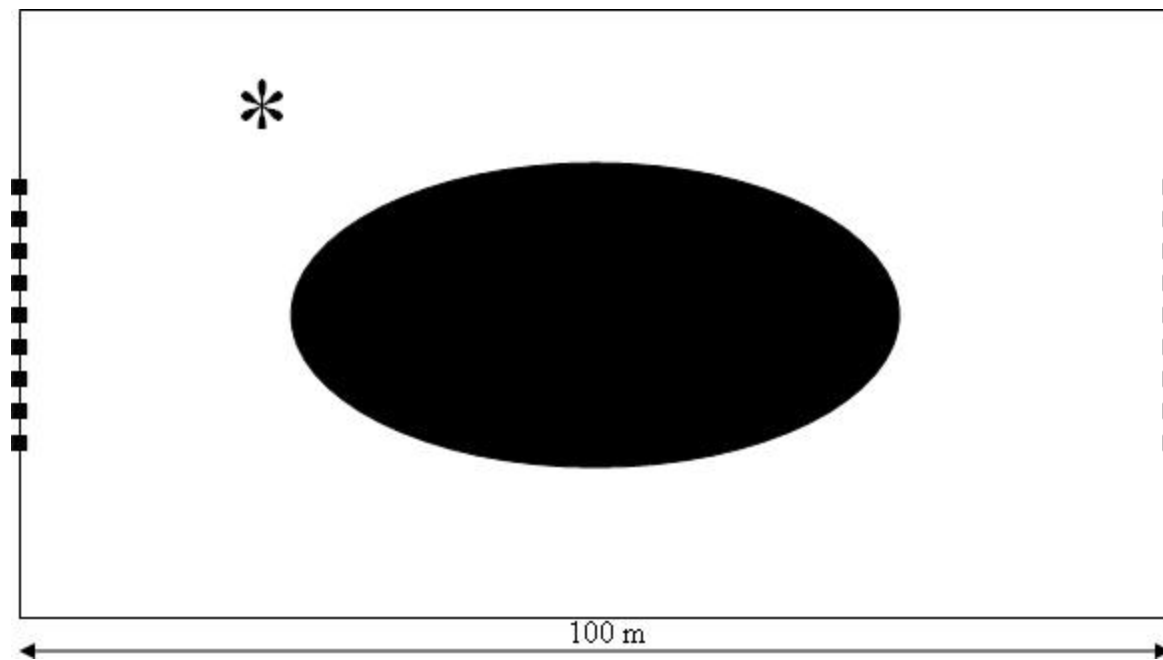


A sand filter has its base at 0 meters and is 10 meters high. It is the same from top to bottom. A plan view, to-scale diagram of it is shown below. There is an impermeable pillar in the center of the filter. Reservoirs on the left and right are separated from the sand by a screen that only crosses a portion of the reservoir wall. The head in the inlet reservoir on the left is 20 m and the outlet reservoir on the right is 12m. Properties of the sand are: $K=1 \times 10^{-3}$ m/s $S=1 \times 10^{-3}$ $SY=0.2$. Draw and label a flow net. Calculate the discharge through the system using units of meters and seconds. What is the head at the location of the * at the top of the tank? What is the pressure at that location?



- equipotential lines parallel constant head boundaries
- flow lines parallel no-flow boundaries
- streamlines are perpendicular to equipotential lines
- equipotential lines are perpendicular to no-flow boundaries
- form squares by intersecting stream and equipotential lines

Try this before next class

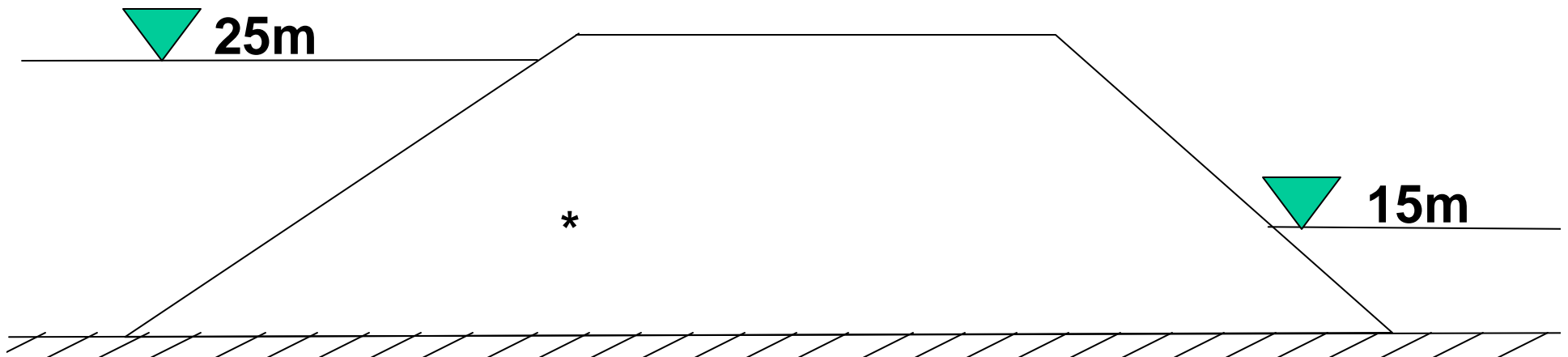
$K = 0.53\text{m/day}$

Draw the flow net

Calculate Q

What is the maximum gradient?

What are the head and pressure at the *?



We can use the flow net to identify areas where critical gradients may occur and determine the magnitude of the gradient at those locations

- equipotential lines parallel constant head boundaries
 - flow lines parallel no-flow boundaries
 - streamlines are perpendicular to equipotential lines
- equipotential lines are perpendicular to no-flow boundaries
- form squares by intersecting stream and equipotential lines

What is the flux under the sheet pile wall if $K=2\text{ft/day}$?
Will piping occur?

$$Q = q_A n_f = KH \frac{n_f}{n_d}$$

