

**s vs. log r - is a straight line**, if assumptions are met, drawdown decreases logarithmically with distance from the well because **gradient decreases linearly with increasing area ( $2\pi rh$ )**

$$Q = \frac{2\pi T(h_2 - h_1)}{\ln(r_2/r_1)}$$

Theim Eqtn

**T = transmissivity [ $L^2/T$ ]**  
**Q = discharge from pumped well [ $L^3/T$ ]**  
**r = radial distance from the well [L]**  
**h = head at r [L]**

and rearranging to get T from field data:

$$T = \frac{Q}{2\pi(h_2 - h_1)} \ln\left(\frac{r_2}{r_1}\right)$$

**Plot before applying equations**

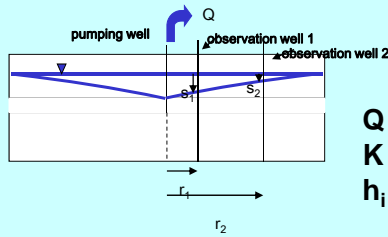
- to verify conditions are appropriate for application of equations
- to identify data problems

**In an unconfined aquifer, T is not constant**  
**If drawdown is small relative to saturated thickness, confined equilibrium formulas can be applied with only minor errors**  
**Otherwise call on Dupuit assumptions and use:**

$$Q = \pi K \frac{(h_2^2 - h_1^2)}{\ln(r_2/r_1)}$$

or, to determine K from field measurements of head:

$$K = \frac{Q \ln\left(\frac{r_2}{r_1}\right)}{\pi(h_2^2 - h_1^2)}$$



Q = pumping rate [L<sup>3</sup>/T]  
 K = permeability [L/T]  
 h<sub>i</sub> = head @ a distance r<sub>i</sub> from well [L]  
**using the aquifer base as datum**

The aquifer base must be the datum because the head not only represents the gradient but also reflects the aquifer thickness, hence the flow area.

### Predict Drawdown Using Theis Equation

Class picks: T            S            r            t            Q  
 1x10<sup>-3</sup>m<sup>2</sup>/s    1x10<sup>-5</sup>    2m            year    0.01m/s  
 Take 3 minutes to calculate: s

$$s = h_o - h = \frac{Q}{4\pi T} W(u)$$

$$u = \frac{r^2 S}{4Tt}$$

USE table of W(u) from 3 slides back

$$W(u) = \int_u^\infty \frac{e^{-u}}{u} du = [-0.5772 - \ln u + u - \frac{u^2}{2 \cdot 2!} + \frac{u^3}{3 \cdot 3!} - \frac{u^4}{4 \cdot 4!} + \dots]$$

What value did you get for s? ~15m